



November 2004

© Koichi Okamoto

Molecular Sensing based on the Nonlinear Optics with Metal Nano-Grating

Koichi Okamoto

California Institute of Technology

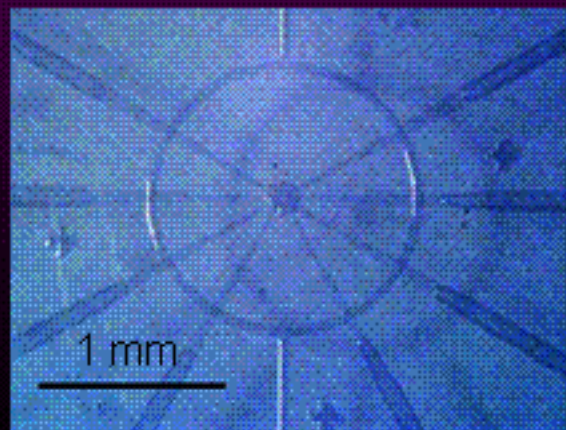
Collaboration: Z. Zhang, T. D. Neal, D. T. Wei, and A. Scherer

Acknowledgements: M. Terazima (Kyoto University)



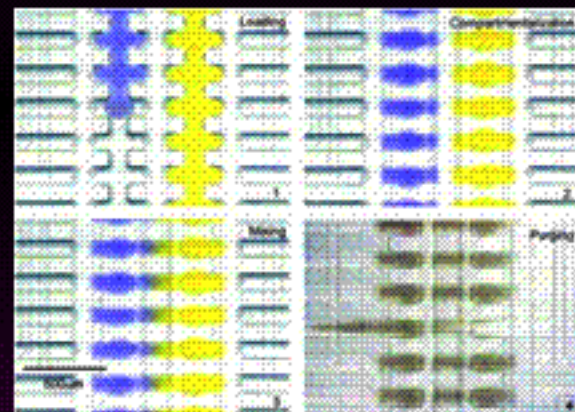
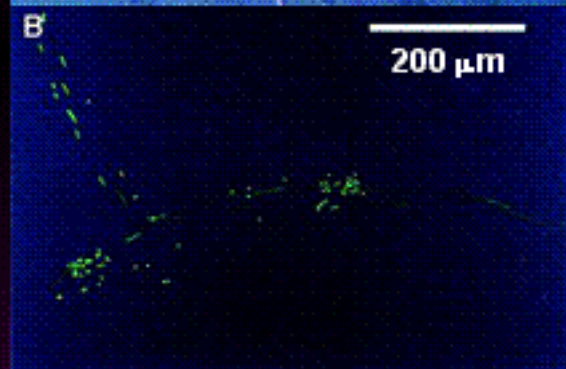
Micro (Nano) fluidic devices

© Koichi Okamoto



Recently, micro and nano fluidic devices have been developed and used to wide application fields

In many cases, fluorescent beads, dye molecules, or colored solution were used as the host in such fluidic devices.



Fluorescent latex beads

SR. Quake and A. Scherer, Science, 290, 5496 (2000)

DNA with fluorescent dyes

SR. Quake et al, Biophysical Journal, 82, 2480 (2002)

Colored solution

T. Thorsen et al, Science, 298, 580 (2002)

Many molecules and chemical compounds have neither no fluorescence nor no color

High sensitive molecular detection technique without light emission is necessary for wider application of such micro and nano fluidic devices

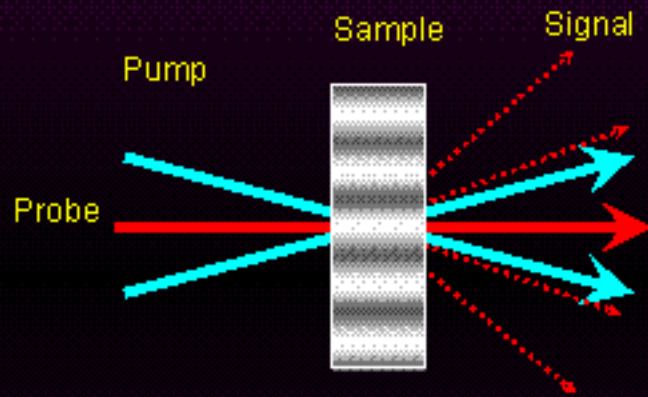


Nonlinear Optical Effect

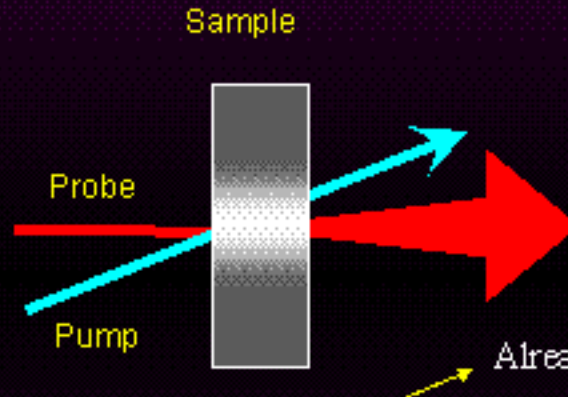
© Koichi Okamoto

$$P / \epsilon_0 = \sum \chi_{ij}^{(1)} E_j + \sum \sum \chi_{ijk}^{(2)} E_j E_k + \sum \sum \sum \chi_{ijkl}^{(3)} E_j E_k E_l + \dots$$

$$E_{\text{signal}}(t) = \chi^{(3)}(t) E_{\text{probe}} E_{\text{pump}} E_{\text{pump}}$$



Transient Grating



Transient Lens

Already applied to micro fluidic device

Tokeshi M, Minagawa T, Kitamori T, Analytical chemistry, 72, 1711 (2000)



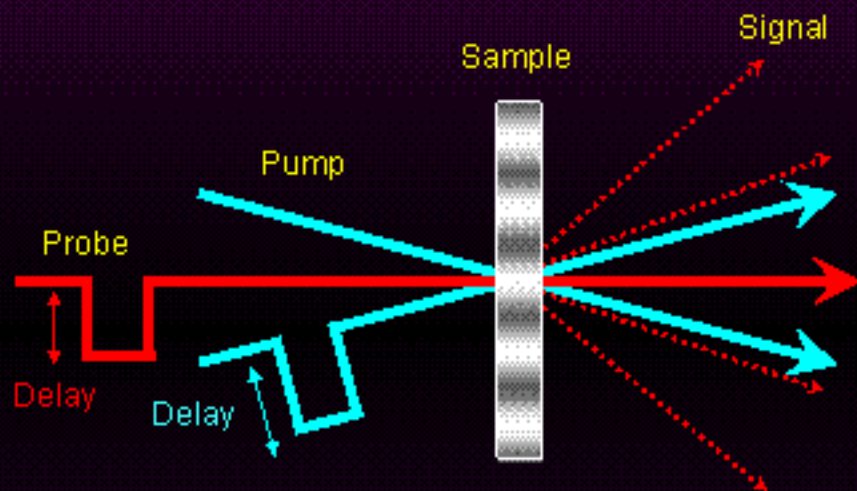
Electronic polarization	Thermal dynamics	Clustering, Aggregation
Electron transfer	Volume, structure change	Molecular harmonic effect
Energy transfer	Density change	Nano particle growth
Carrier Dynamics	Ultrasonic, Acoustic wave	Crystal growth
Excitation Dynamics	Chemical reaction	Phase Transfer
Molecular vibration	Molecular translation	Metal diffusion



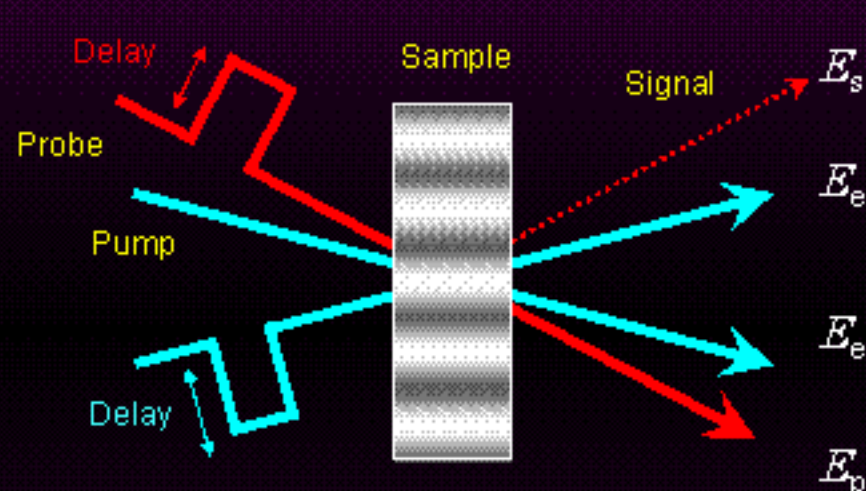
Thin and Thick Grating

© Koichi Okamoto

Transient Grating Technique



Thin Grating



Thick Grating

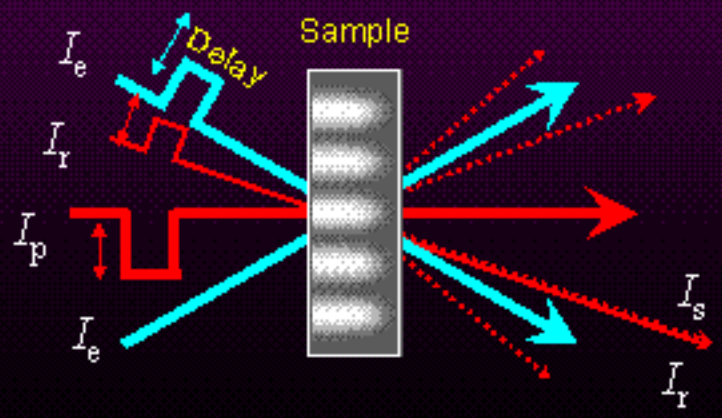
$$P / \epsilon_0 = \sum \chi_{ij}^{(1)} E_j + \sum \sum \chi_{ijk}^{(2)} E_j E_k + \sum \sum \sum \chi_{ijkl}^{(3)} E_j E_k E_l + \dots$$

$$E_s(t) = \chi^{(3)}(t) E_p E_x E_x$$



Optical Heterodyne Detection

© Koichi Okamoto



Optical heterodyne detected TG (OHD-TG)

High sensitivity
Linear relationship

Four beams (two pump and two probe)

2 pump beams must be coherent
2 probe beams must be phase matched

$$I_{\text{total}}(t) = A |E_r + E_s(t)|^2$$

$$E_s(t) = \chi^{(3)}(t) E_p E_e E_e$$

$$= A \{ |E_r|^2 + E_r^* E_s(t) + E_s(t) E_r^* + |E_s(t)|^2 \}$$

$$E_r = a e^{i\Delta\phi} E_p$$

$$= \underbrace{I_r}_{\text{Offset signal}} + \underbrace{2a (\chi^{(3)'}(t) \cos \Delta\phi + \chi^{(3)''}(t) \sin \Delta\phi) I_e I_p}_{\text{Heterodyne signal } I_s(t)} + \underbrace{|\chi^{(3)}(t)|^2 I_e I_e I_p}_{\text{Usual homodyne signal}}$$

$$|E_p| \gg |E_s|$$

Offset signal Heterodyne signal $I_s(t)$ Usual homodyne signal

$$I_s(t) \propto \chi^{(3)'}(t) \cos \Delta\phi + \chi^{(3)''}(t) \sin \Delta\phi$$

Refractive index change $\delta n(t)$

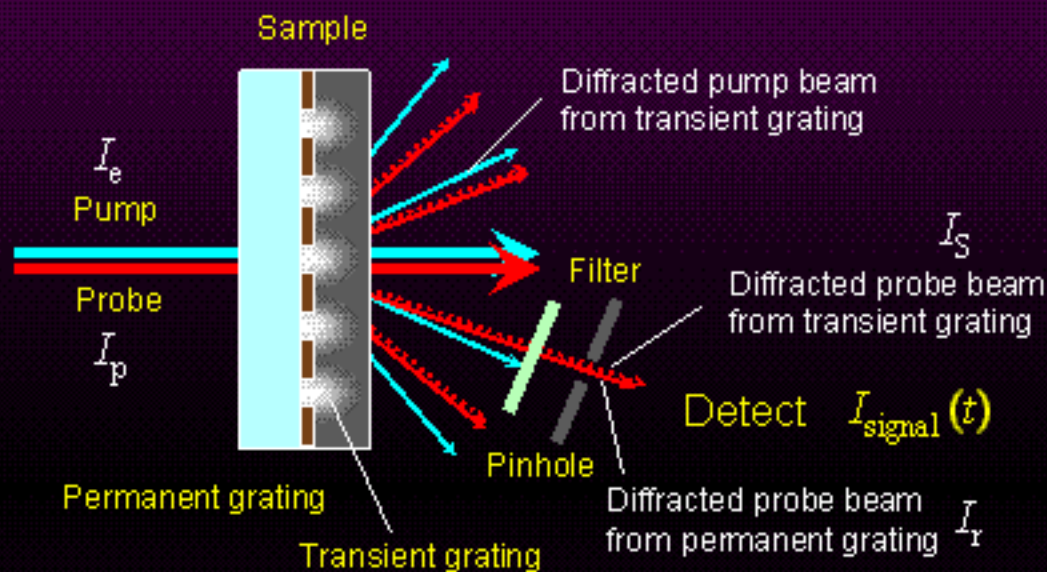
Absorbance change $\delta k(t)$

Phase difference



Our New Technique

© Koichi Okamoto



$$I_{\text{signal}}(t) = \underbrace{I_r}_{\text{Offset signal}} + \underbrace{2a (\chi^{(3)'} \cos \Delta\phi + \chi^{(3)''} \sin \Delta\phi)}_{\text{Heterodyne signal}} I_e I_p + \underbrace{|\chi^{(3)}|^2}_{\text{Usual homodyne signal}} I_e I_e I_p$$

Simple setup and alignment

High sensitivity

High S/N ratio

Linear relationship

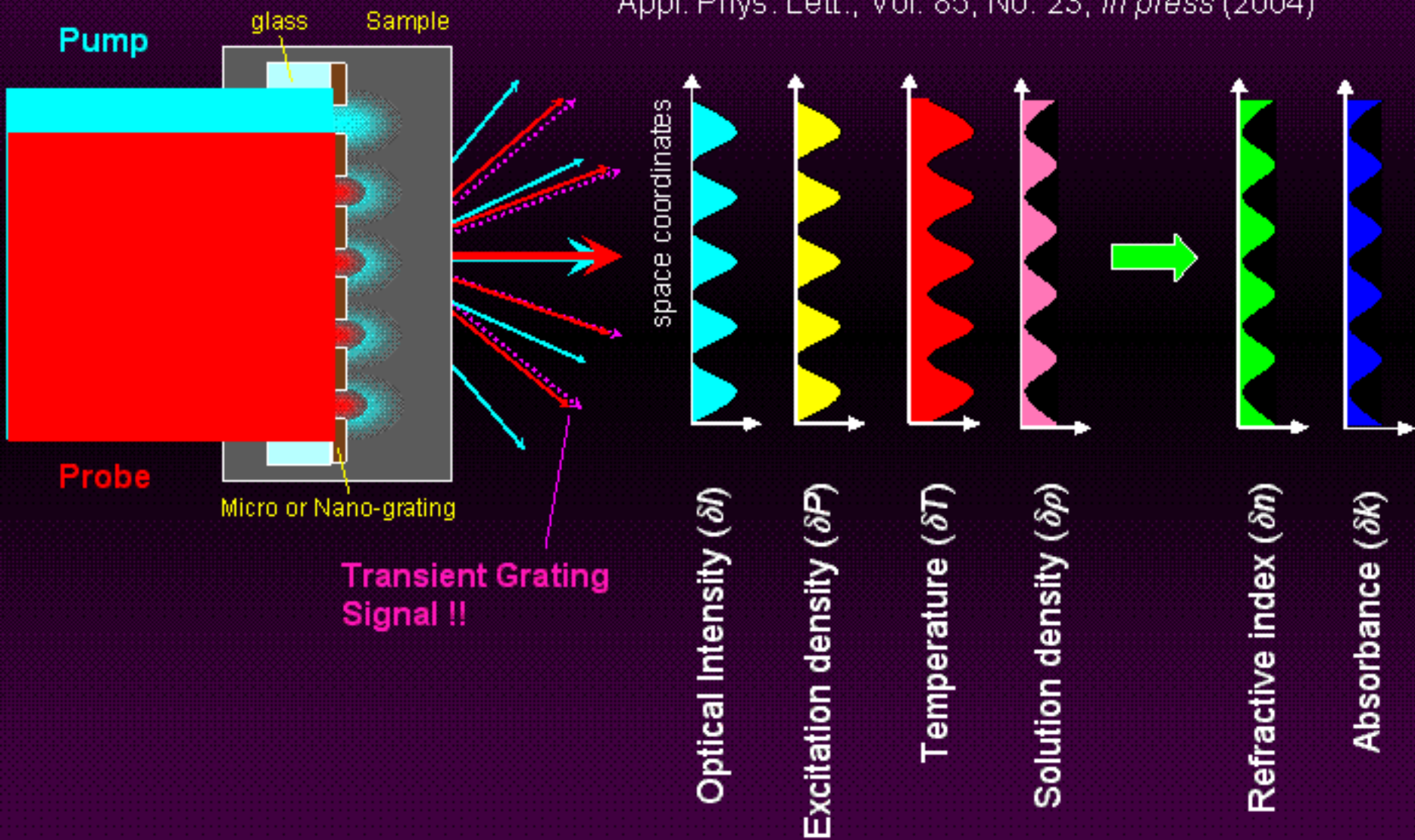


Mechanism of Our Technique

© Koichi Okamoto

K. Okamoto, Z. Zhang, D. T. Wei, and A. Scherer

Appl. Phys. Lett., Vol. 85, No. 23, *in press* (2004)

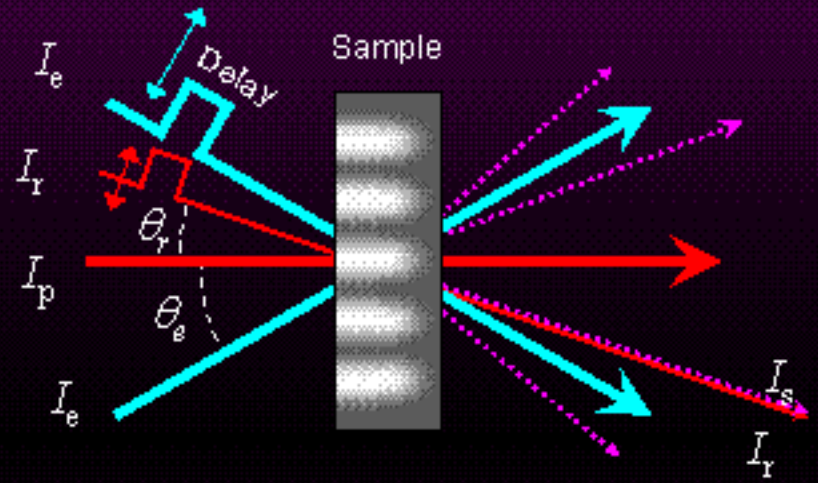




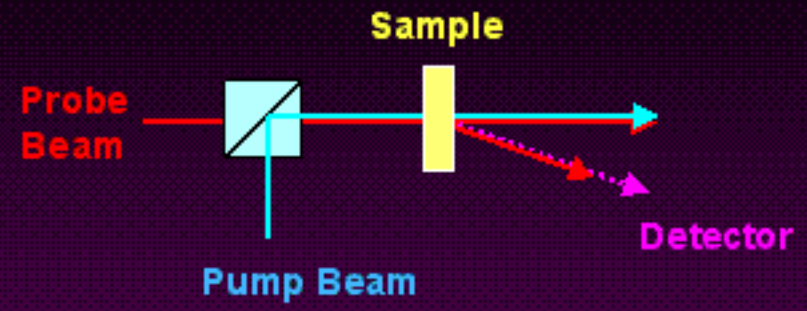
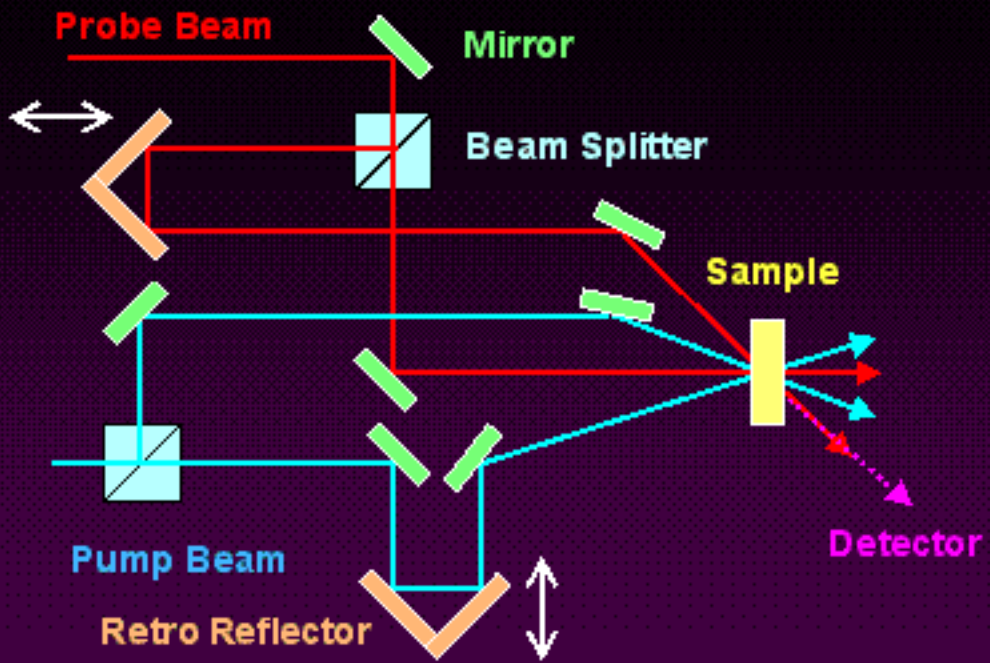
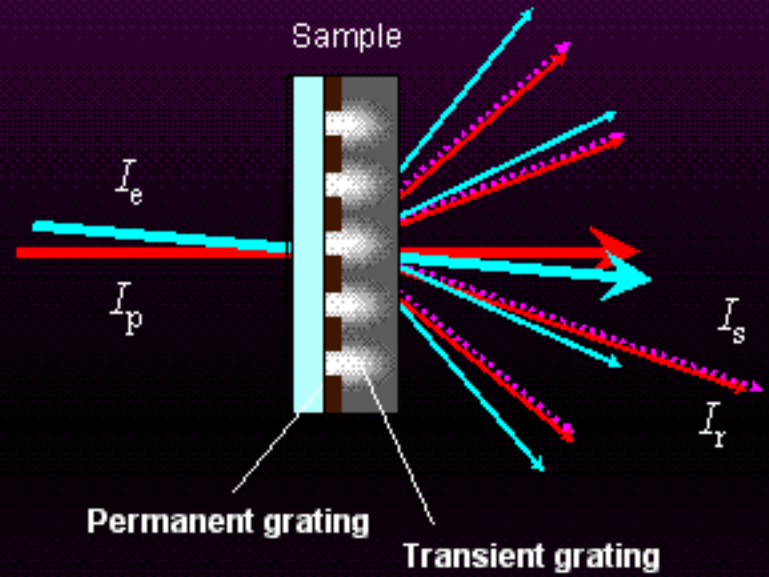
Optical alignment of Our Technique

© Koichi Okamoto

Previous method



Our New Method



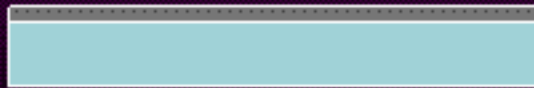
Very Simple and Easy !



Fabrication of the Metal Grating

© Koichi Okamoto

Vacuum evaporation



Cr (50 nm)
Quartz (1 mm)

Spin coating



Photo-mask (200 nm)

Lithography

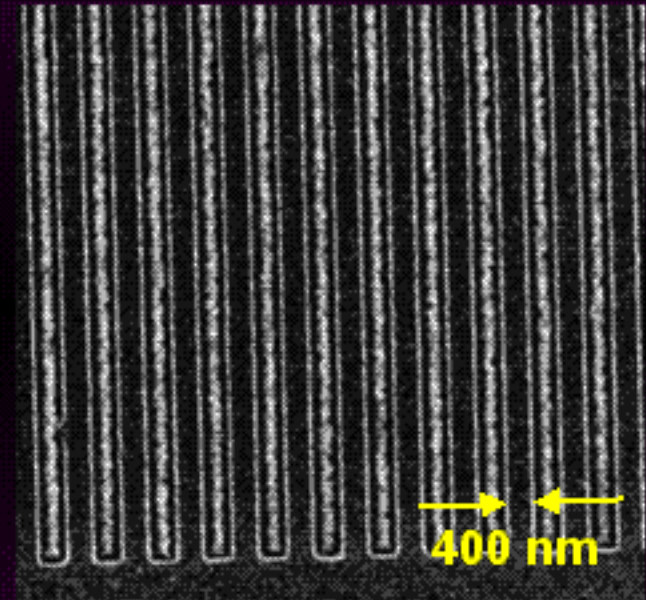


Electron Beam
for nano-grating
Direct Laser writing
for micro-grating

Chemical etching



Remove Photo-mask

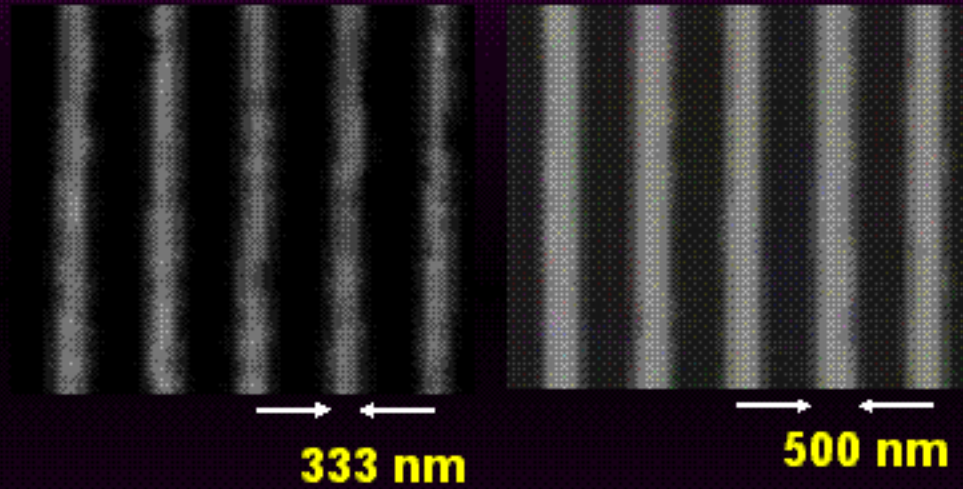


Scanning electron microscope (SEM) image of the smallest metal grating film (400 nm metal width and 1 μ m period).



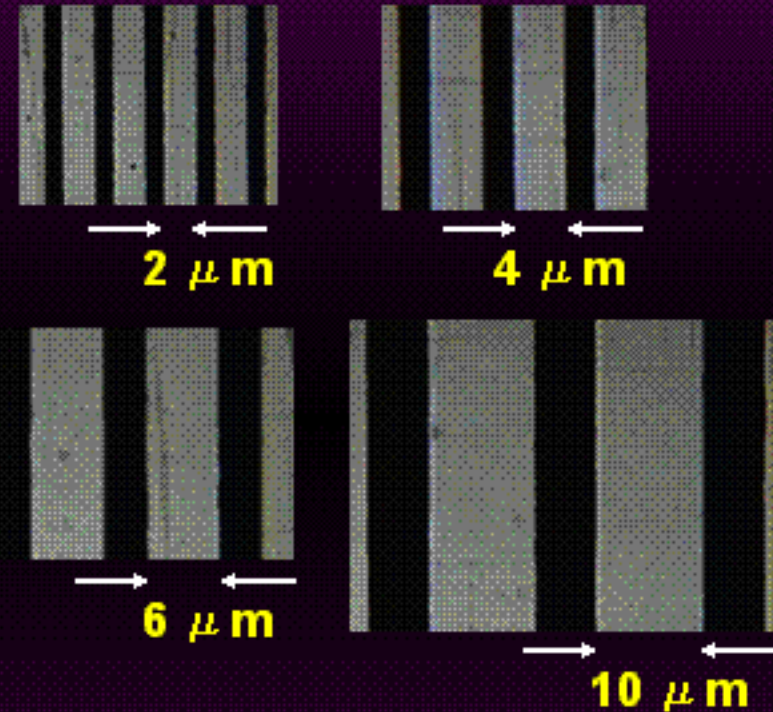
Fabrication

© Koichi Okamoto



Nano scale gratings

- Chromium evaporation on quartz substrates
- Patterned PMMA mask by **Electron Beam lithography**
- Chemical etching



Micron scale gratings

- Make photomask using **Direct Writing Laser lithography**
- Photolithography method to make micron grating on Mask Aligner
- Chemical etching



Sample Solution System © Koichi Okamoto



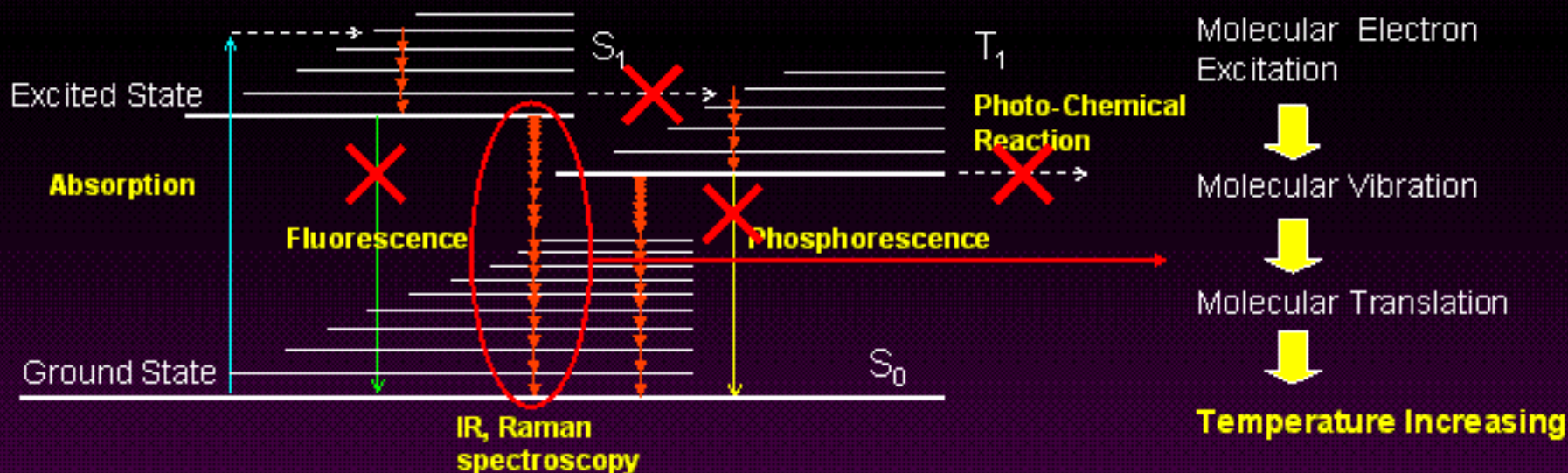
Sample solution:

Nitrobenzene (5 vol. %)
In 2-propanol

No color, No fluorescence

Photo-excited state is relaxed within very short time (~ps).

All absorbed photon-energy is converted into thermal energy (molecular heater)



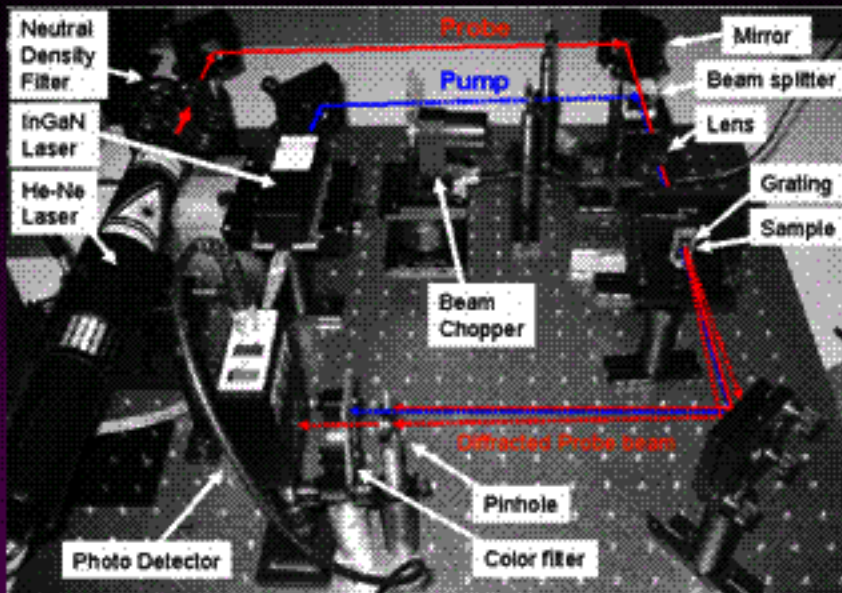
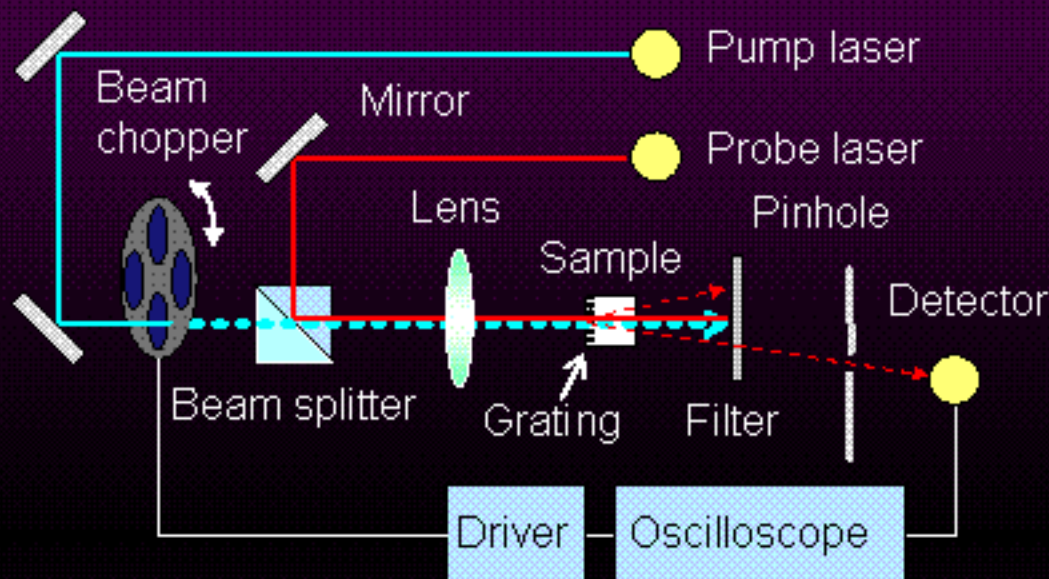
Jablonskii diagram of molecule

Photothermal Process



Setup with cw-Laser

© Koichi Okamoto



Pump: For cw measurement,
Time-modulated (50 to 400 Hz)
cw-InGaN laser (405 nm, 5 mW)

For time-resolved measurement,
frequency-tripled Nd:YAG laser
(355nm, 10 ns, 0.3 mJ/pulse and 3 Hz)

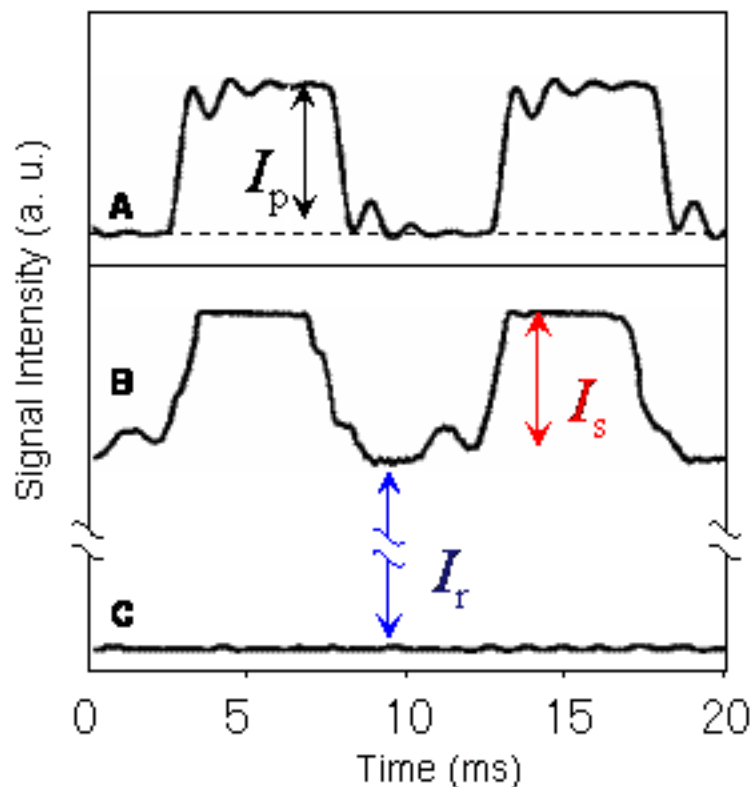
Probe: cw-He-Ne laser (633 nm, 0.05 mW)

Detector: InGaAs-based avalanche photodetector



Diffraction Signal (cw)

© Koichi Okamoto



$$I_{\text{signal}}(t) = I_r + b \chi^{(3)'}(t) I_e I_p$$

$$\chi^{(3)'}(t) = \delta n(t)$$

$$\delta n_{th}^0 = \left[\left(\frac{\partial n}{\partial \rho} \right)_T \left(\frac{\partial \rho}{\partial T} \right) + \left(\frac{\partial n}{\partial T} \right)_\rho \right] \frac{Q}{\rho C_p} \times \alpha \Delta I [C]$$

n : refractive index, T : temperature, ρ : density of solution

$\delta n_{th}(t)$: refractive index change due to the thermal effect

C_p : specific heat capacity, Q : released heat, α : constant

ΔI : absorbed light intensity,

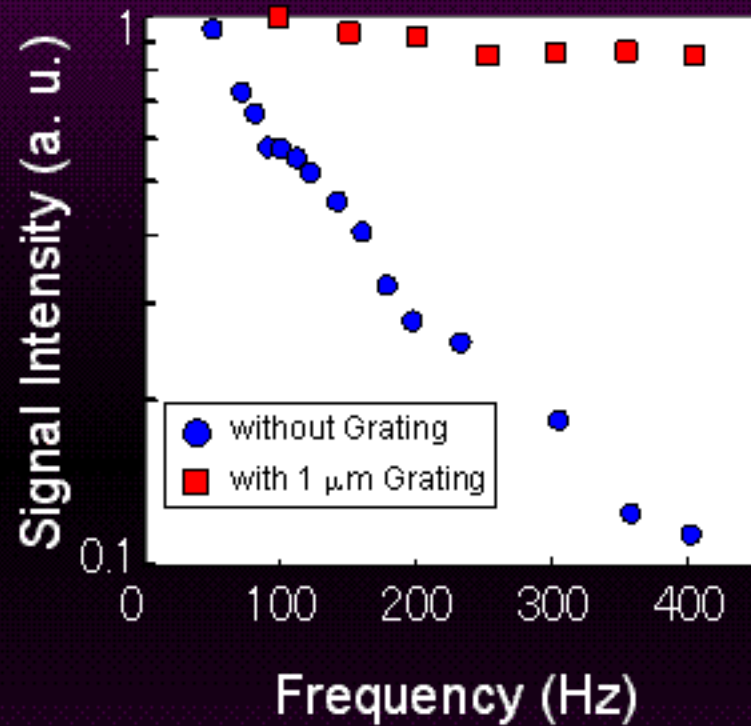
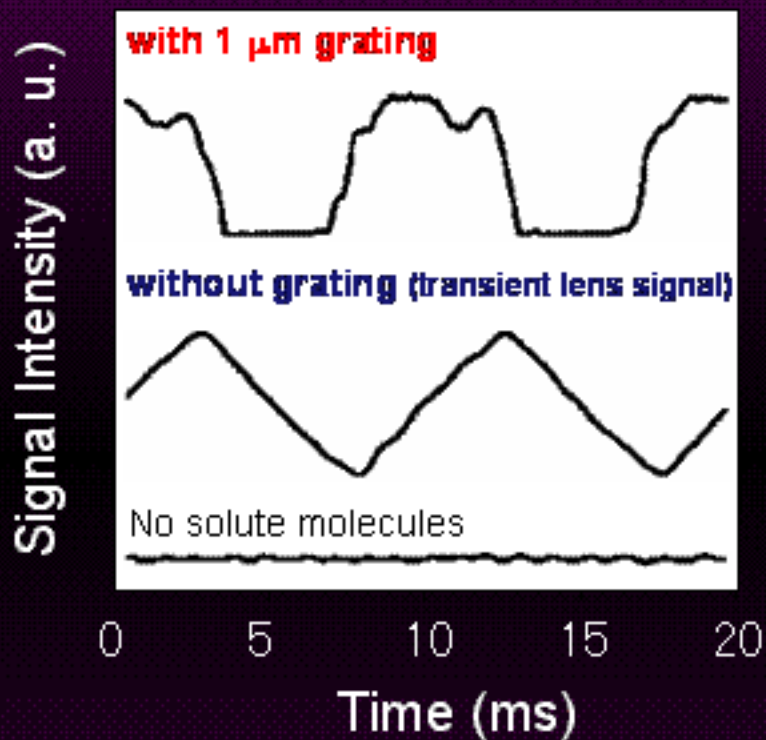
$[C]$: molecular concentration

Time profiles of the pump beam (A) modulated by beam chopper, diffracted signal of nitrobenzene in 2-propanol (B) and only 2-propanol (C) with 1 μm period's grating.



High frequency operation

© Koichi Okamoto



High speed (frequency) detection

High sensitivity

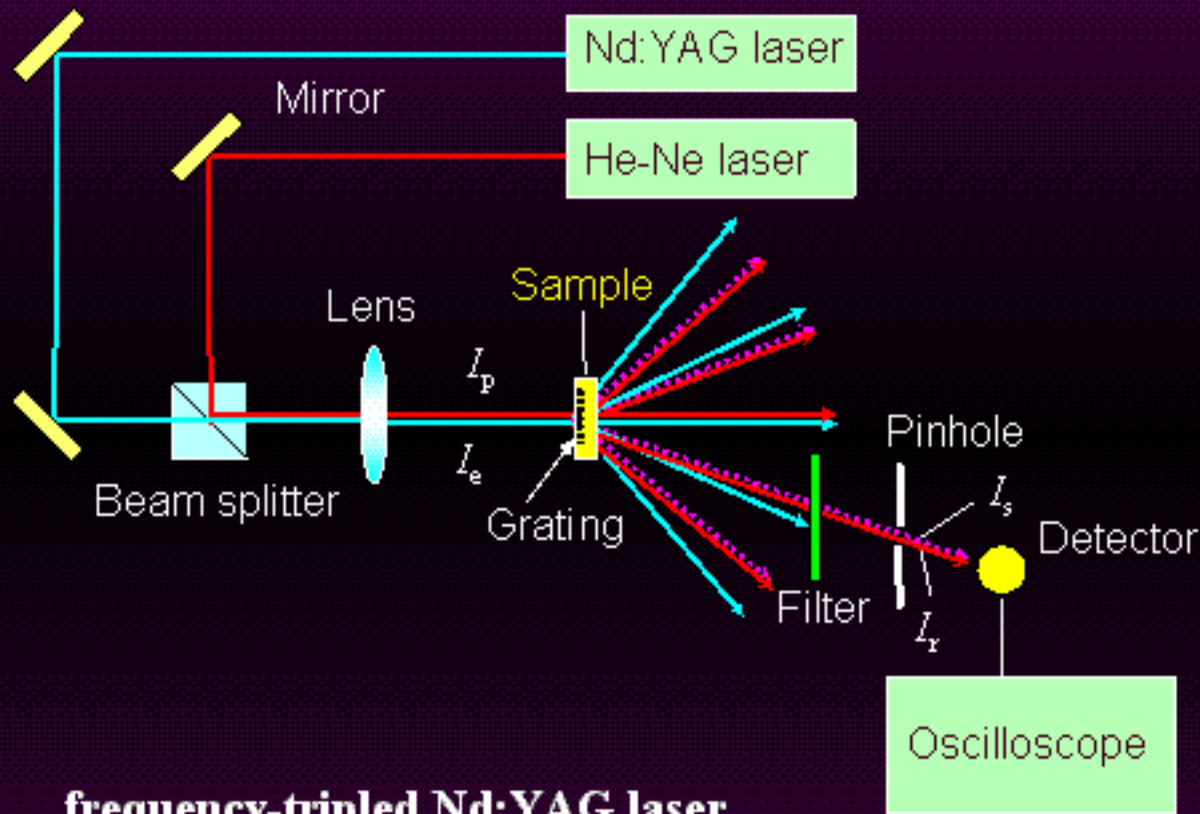


Well Applicable for molecular sensor in microfluidic devices



Setup with Pulse Laser

© Koichi Okamoto



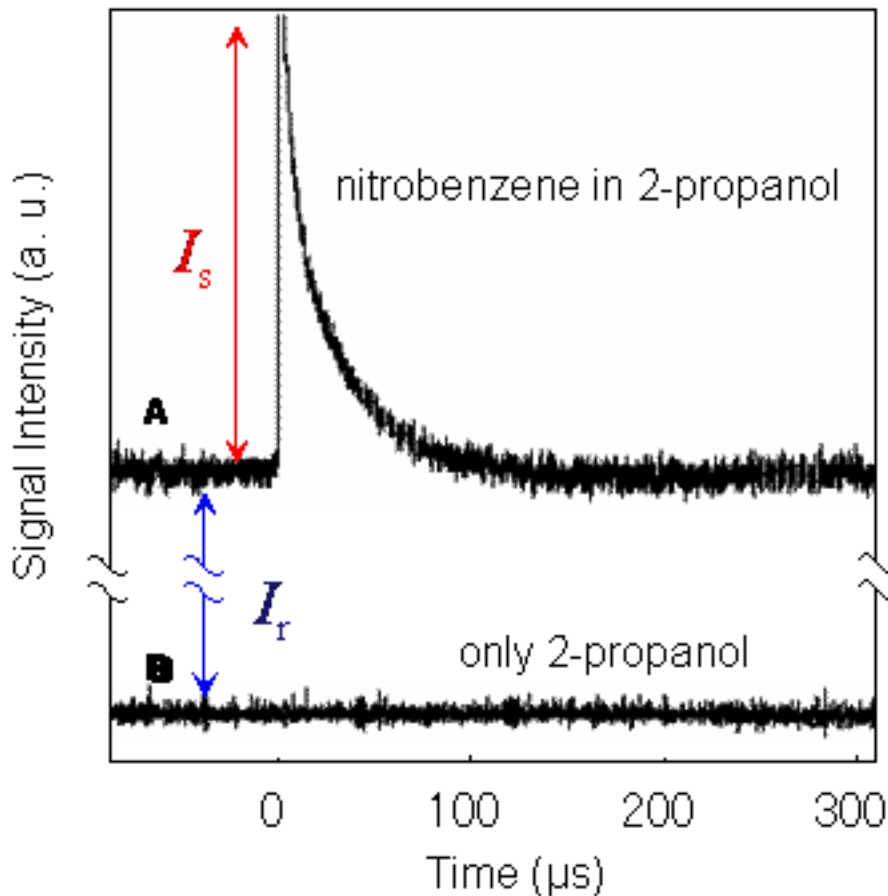
Pump: frequency-tripled Nd:YAG laser
(355nm, 10 ns, 0.3 mJ/pulse and 3 Hz)

Probe: cw-He-Ne laser (633 nm, 0.05 mW)

Detector: InGaAs-based avalanche photodetector



Time-Profile of the TG signal



$$I_s(t) \propto \delta n(t) \quad \delta k(t) = 0$$

$$\delta n(t) = \left[\left(\frac{\partial n}{\partial \rho} \right)_T \frac{\partial \rho}{\partial T} + \left(\frac{\partial n}{\partial T} \right)_\rho \right] \delta T(t)$$

Diffusion rate equation,

$$\frac{\partial T(x,t)}{\partial t} = D_{th} \frac{\partial^2 T(x,t)}{\partial x^2} + \frac{Q(x,t)}{\rho C_p}$$

$$\delta T(t) = \delta T(0) \exp(-D_{th} q^2 t)$$

$$\left(q = \frac{2\pi}{\Lambda} \right)$$

Grating constant

T : temperature,
 ρ : density,
 Q : heat energy

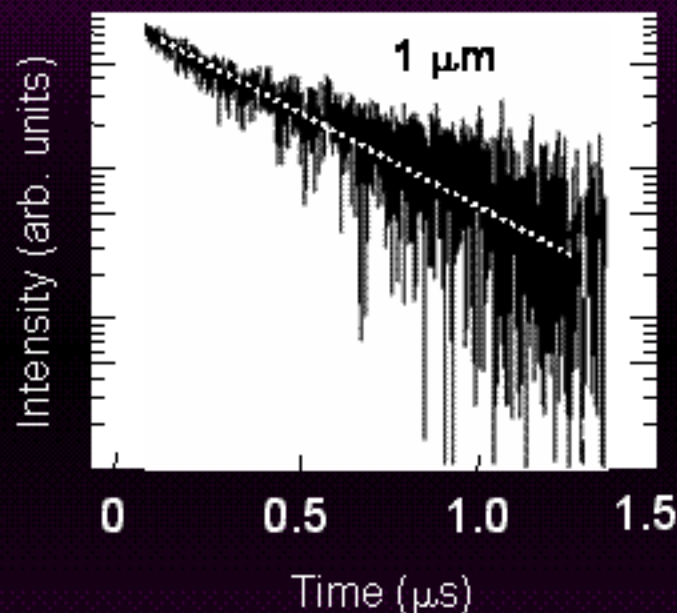
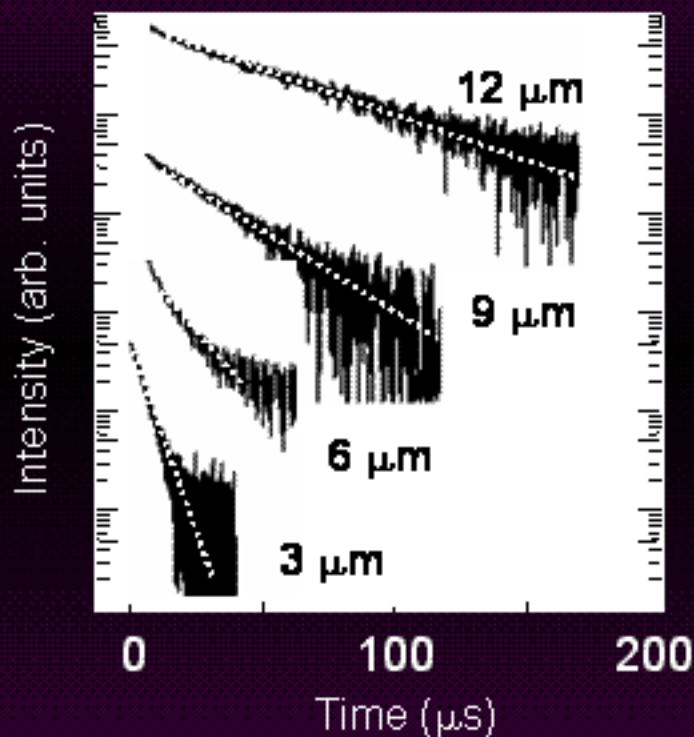
n : refractive index,
 C_p : thermal capacity,
 D_{th} : thermal diffusion coefficient



Fitting of the TG signals

© Koichi Okamoto

Time profile of the diffracted signals with metal grating of 12, 9, 6, 3 μm periods (a) and 1 μm period (b). Dashed lines were fitted by the exponential functions.



$$I_s(t) = I_s(0) \exp\left(-\frac{t}{\tau}\right)$$

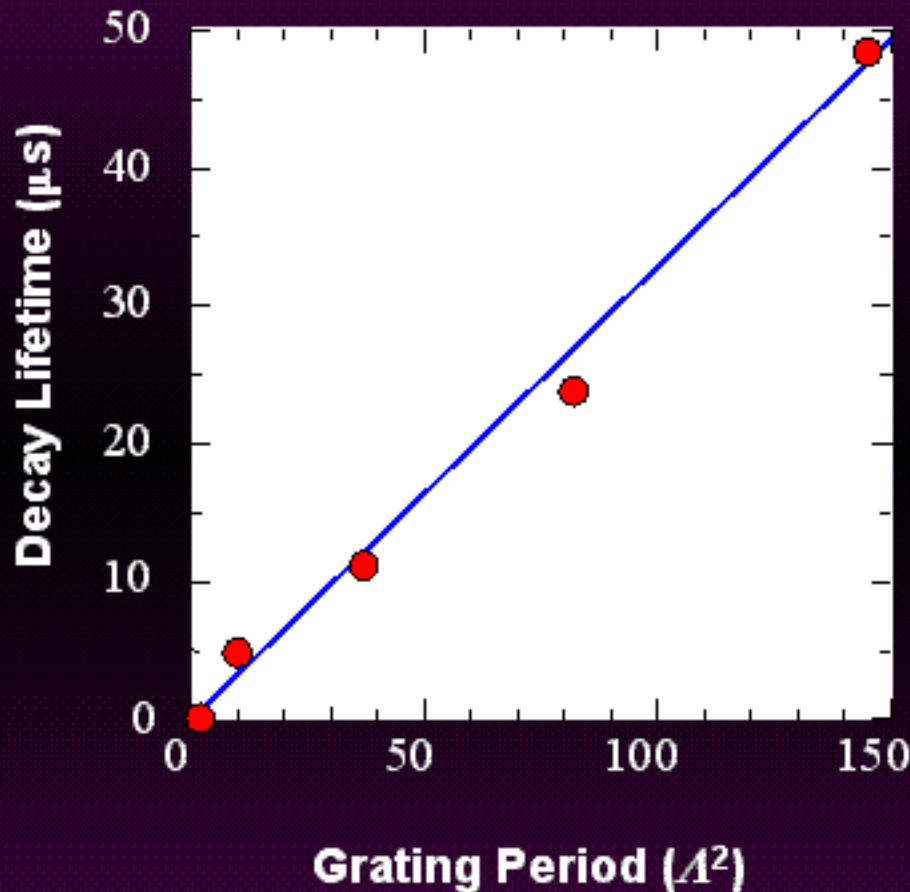
Decay lifetime Grating period

$$\tau = \frac{\Lambda^2}{D_{th} 4\pi^2}$$



Analysis of the time profiles

© Koichi Okamoto



$$\tau = \frac{\Lambda^2}{D_{th} 4\pi^2}$$

Thermal diffusion coefficient (D_{th}) of 2-propanol

Experimental value

$$D_{th} = 7.0 \pm 0.7 \times 10^{-8} \text{ m}^2\text{s}^{-1}$$

Calculated value $D_{th} = \kappa / C_p \rho$,
 κ : heat conductivity, C_p : specific heat capacity,
 ρ : density.

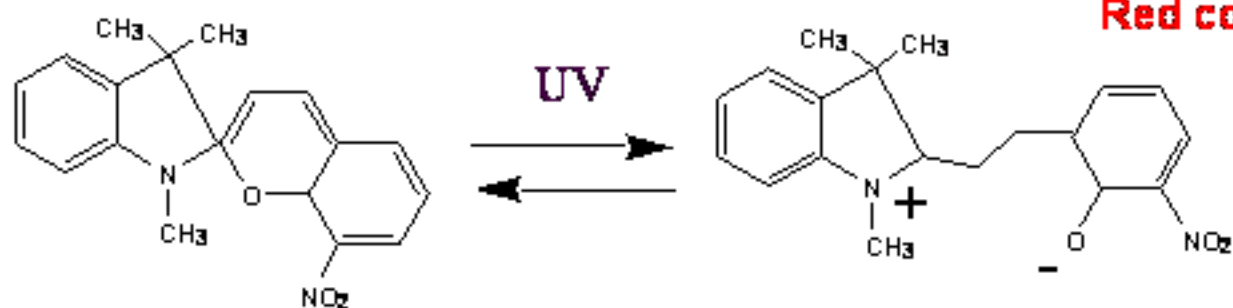
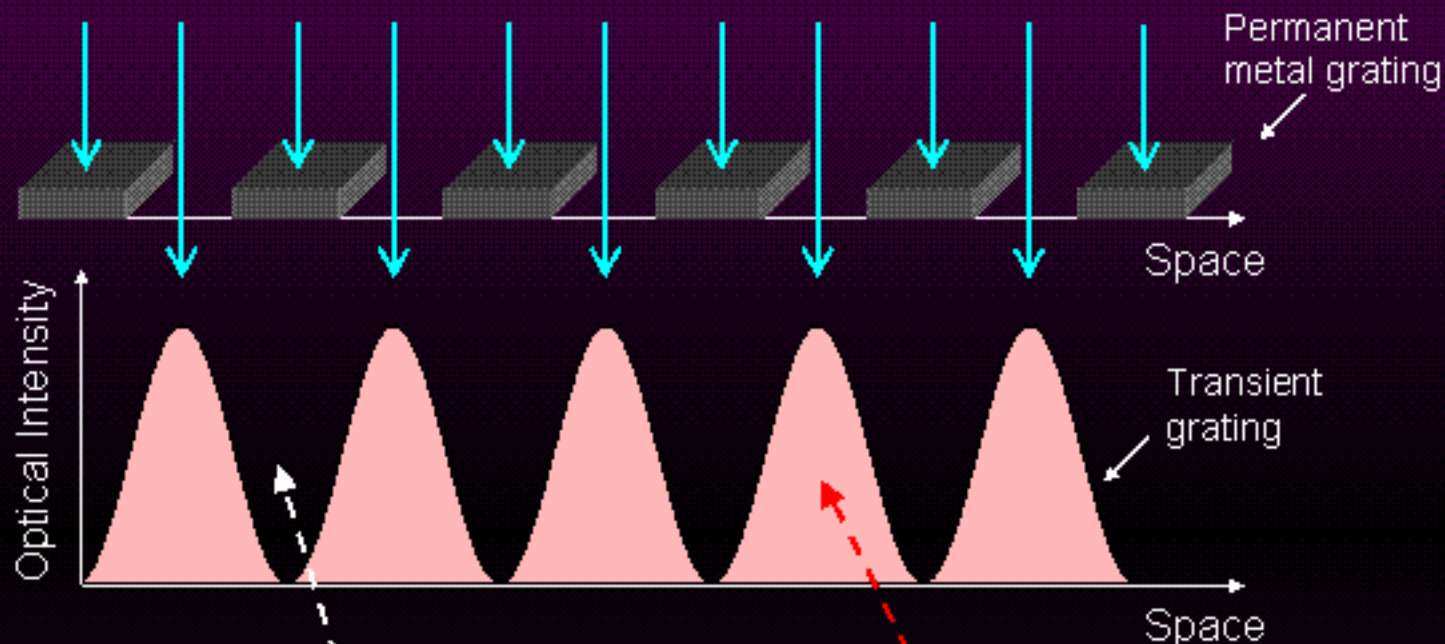
$$D_{th} = 6.8 \times 10^{-8} \text{ m}^2\text{s}^{-1}$$

This technique is powerful tool for thermal dynamics sturdy in solutions.



Photochromic Molecule

© Koichi Okamoto



spiro form (SP)

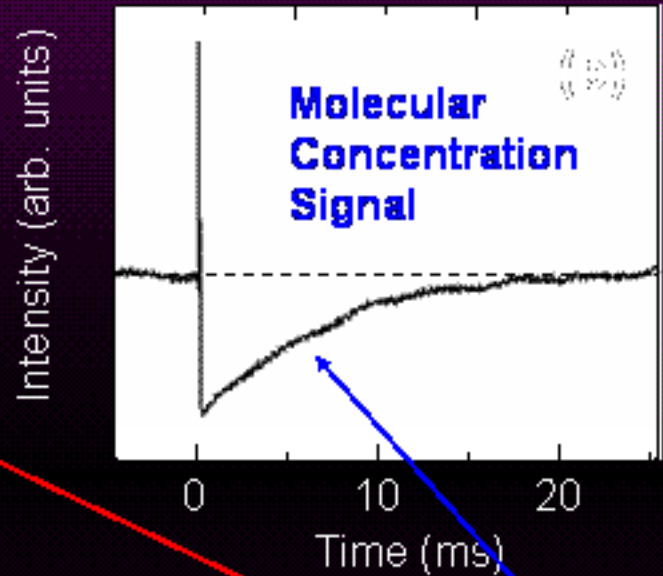
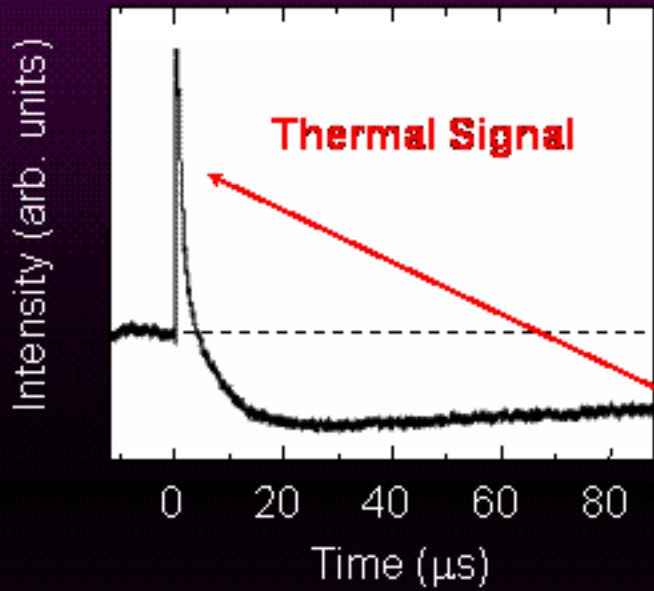
merocyanine form (MF)

Spiropyran [1', 3', 3'-trimethyl-8-nitrospiro (2H-1-benzopyran-2, 2'-indoline)] in 2-propanol



Time profiles of the TG signals

© Koichi Okamoto



$$I_s(t) \propto \delta n(t) \cos \Delta\phi + \delta k(t) \sin \Delta\phi = a\delta T(t) + b\delta C(t)$$

$$\delta n = \left[\left(\frac{\partial n}{\partial \rho} \right)_T \frac{\partial \rho}{\partial T} + \left(\frac{\partial n}{\partial T} \right)_\rho \right] \delta T + \left[\left(\frac{\partial n}{\partial \rho} \right)_C \frac{\partial \rho}{\partial T} + \left(\frac{\partial n}{\partial T} \right)_\rho \right] \delta C$$

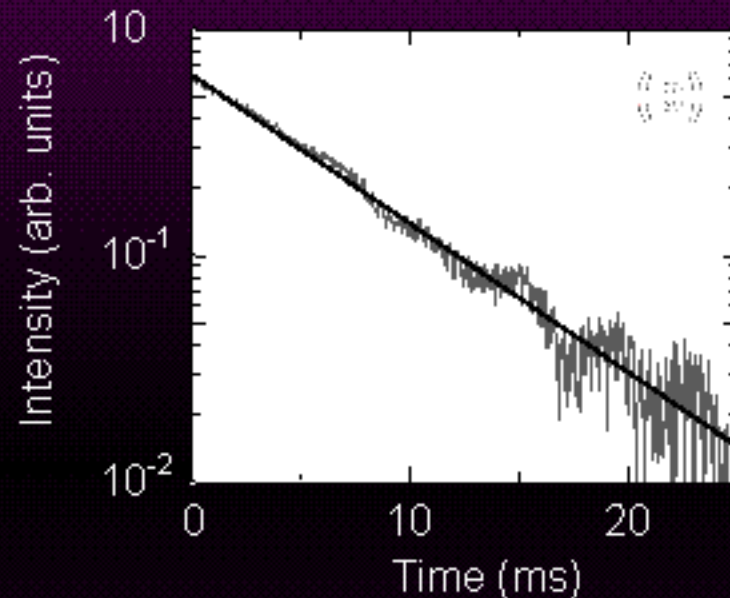
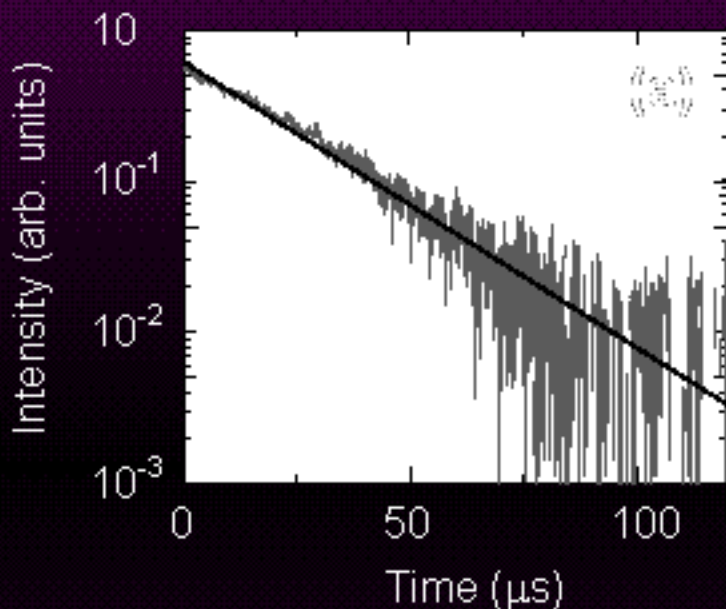
$$\delta k = \left[\left(\frac{\partial k}{\partial \rho} \right)_T \frac{\partial \rho}{\partial T} + \left(\frac{\partial k}{\partial T} \right)_\rho \right] \delta T + \left[\left(\frac{\partial k}{\partial \rho} \right)_C \frac{\partial \rho}{\partial T} + \left(\frac{\partial k}{\partial T} \right)_\rho \right] \delta C$$

C(t):
Concentration
of the excited
molecule



Fitting of the TG signals

© Koichi Okamoto



Thermal Diffusion Coefficient

Experimental value

$$D_{th} = 7.1 \pm 0.5 \times 10^{-8} \text{ m}^2\text{s}^{-1}$$

Calculated value

$$D_{th} = 6.8 \times 10^{-8} \text{ m}^2\text{s}^{-1}$$

Molecular Diffusion Coefficient

Experimental value

$$D = 3.0 \pm 0.2 \times 10^{-10} \text{ m}^2\text{s}^{-1}$$

Calculated value

$$D = 2.5 \times 10^{-10} \text{ m}^2\text{s}^{-1}$$

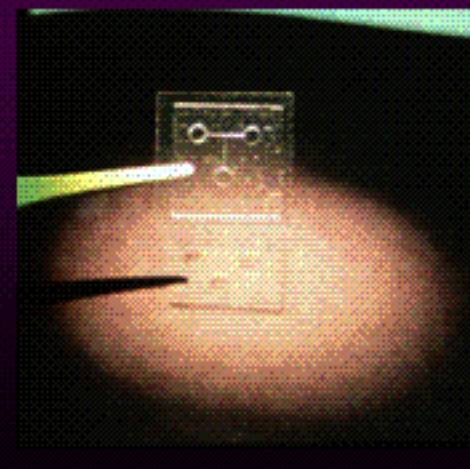
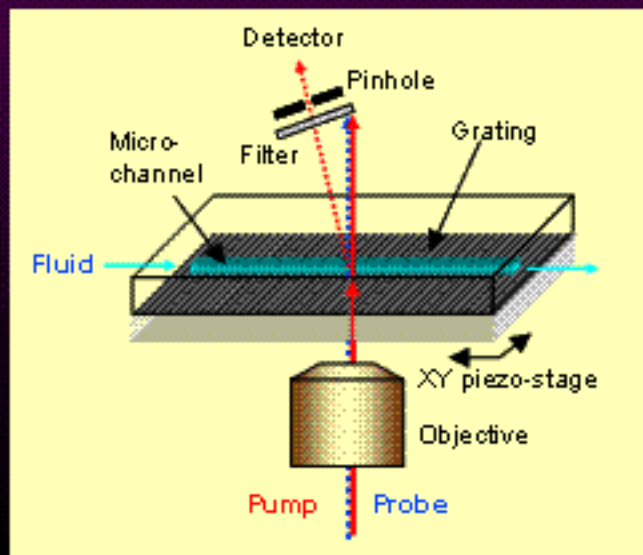
This technique is also powerful tool for molecular dynamics study in solutions.



Molecular Sensor of Microfluidics

RTV microfluidic devices on the nano-grating substrate

Micro chromatography

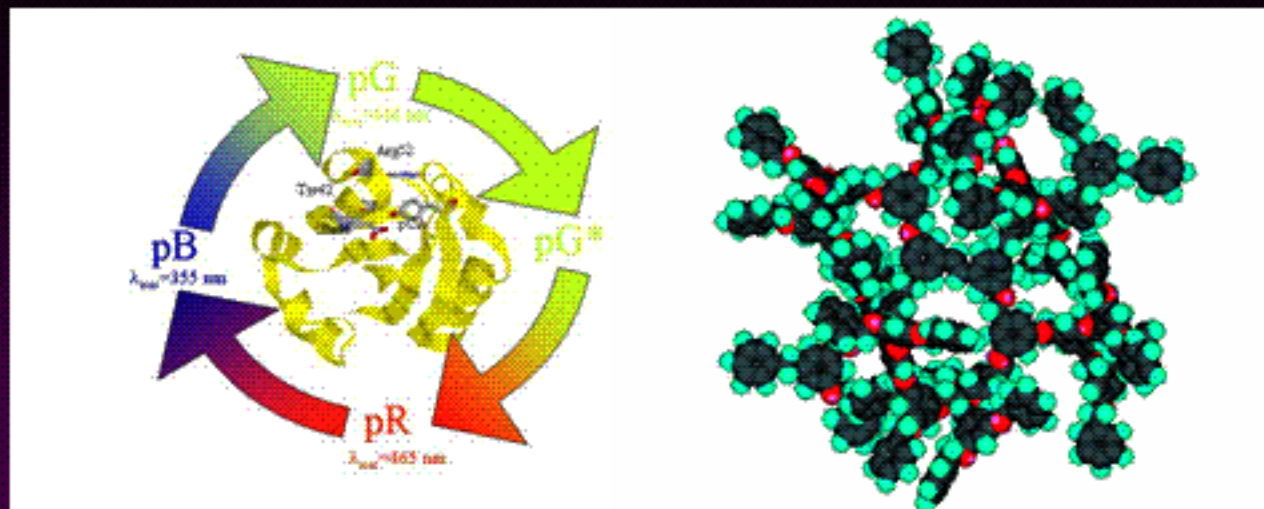


RTV microfluidic device

Monitoring the Dynamics of Biological Proteins

Terazima et al. (Kyoto University) have published for

- Photoactive Yellow Protein
- Rhodopsin
- Myoglobin
- Dendrimers, etc.



By usual TG method



Summary

© Koichi Okamoto

- We developed the new technique of the heterodyne detected transient grating measurement by using the fabricated nano and micro gratings. This method is powerful tool for **energy and molecular dynamics** study in solutions.
- This method has many advantages compared with traditional techniques
 - Simple setting and easy alignment
 - High sensitivity and high S/N ratio (heterodyne detection)
 - High stability (phase shift, beam alignment)
 - Easy analyzing (linear relationship of intensity vs. $\chi^{(3)}$)